

Progress Report of Local Ensemble Kalman Filter/fvGCM on AIRS

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with
Profs: Kalnay, Szunyogh, Kostelich, Hunt, Ott, Sauer, Yorke
GSFC: Todling, Atlas

References and thanks:

Ott, Hunt, Szunyogh, Zimin, Kostelich, Corazza, Kalnay, Patil, Yorke, 2004: Local Ensemble Kalman Filtering, Tellus, 56A, 415–428.

Patil, Hunt, Kalnay, Yorke and Ott, 2001: Local low-dimensionality of atmospheric dynamics, PRL.

Kalnay, 2003: Atmospheric modeling, data assimilation and predictability, Cambridge University Press, 341 pp. (3rd printing)

Hunt, Kalnay, Kostelich, Ott, Szunyogh, Patil, Yorke, Zimin, 2004: Four-dimensional ensemble Kalman filtering. Tellus 56A, 273–277.

Szunyogh, Kostelich, Gyarmati, Hunt, Ott, Zimin, Kalnay, Patil, Yorke, 2004: Assessing a local ensemble Kalman filter: Perfect model experiments with the NCEP global model. Tellus, 56A, in print.

The LEKF algorithm:

1. Make a 6hr ensemble forecast with $K+1$ members. At each grid point i consider a local 3D volume of $\sim 800\text{km}$ by 800km and a few layers.
2. The expected value of the background is $\bar{\mathbf{x}}$, the ensemble average, and the \mathbf{P} form the background error covariance \mathbf{B} . In the subspace of the perturbations, \mathbf{B} is diagonal, with rank $\leq K$.
3. Use all the observations in the volume and solve exactly the Kalman Filter equations. This gives the analysis $\hat{\mathbf{x}}$ and the analysis error covariance \mathbf{A} at the grid point i .
4. Solve the square root equation $\mathbf{A} = \mathbf{S}\mathbf{S}^T$ and obtain the analysis increments at the grid point i .
5. Transform back \mathbf{S}^T to the grid-point coordinates \mathbf{S}^T .
6. Create the new initial conditions for the ensemble $\bar{\mathbf{x}} + \mathbf{S}^T \mathbf{e}$.
7. Go to 1

Ott et al, 2003, Szunyogh et al 2004.
Sauer et al, 2004 extended it to 4DEnKF

Why use a “local” ensemble approach?

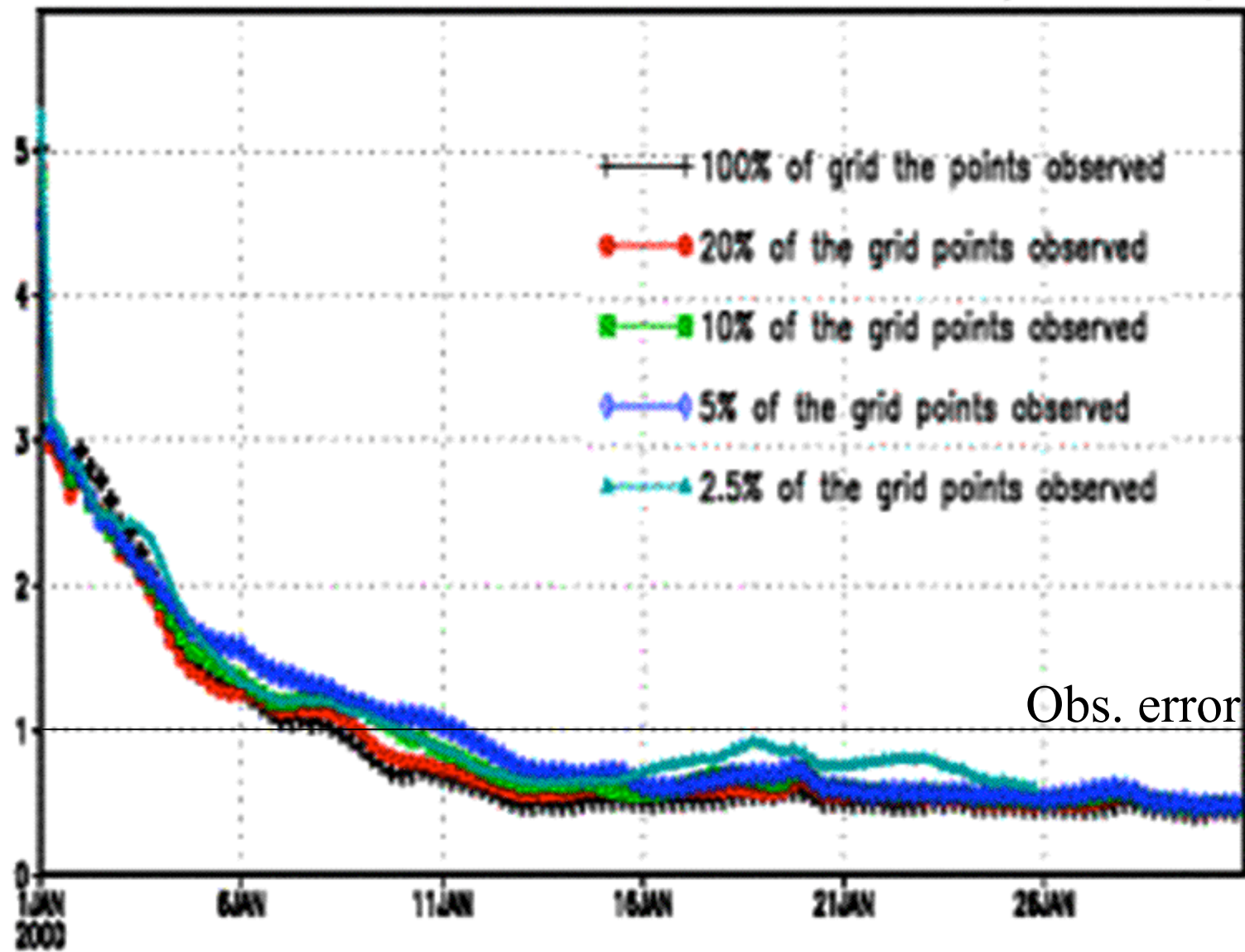
- In the Local Ensemble Kalman Filter we compute the generalized “bred vectors” globally but use them locally.
- These local volumes provide the **local** shape of the “errors of the day”.
- At the end of the local analysis we create a new global analysis and initial perturbations from the solutions obtained at each grid point.
- **This reduces the number of ensemble members needed.**
- **It also allows independent computation of the KF analysis at each grid point.**

From Szunyogh, et al, 2004, Tellus

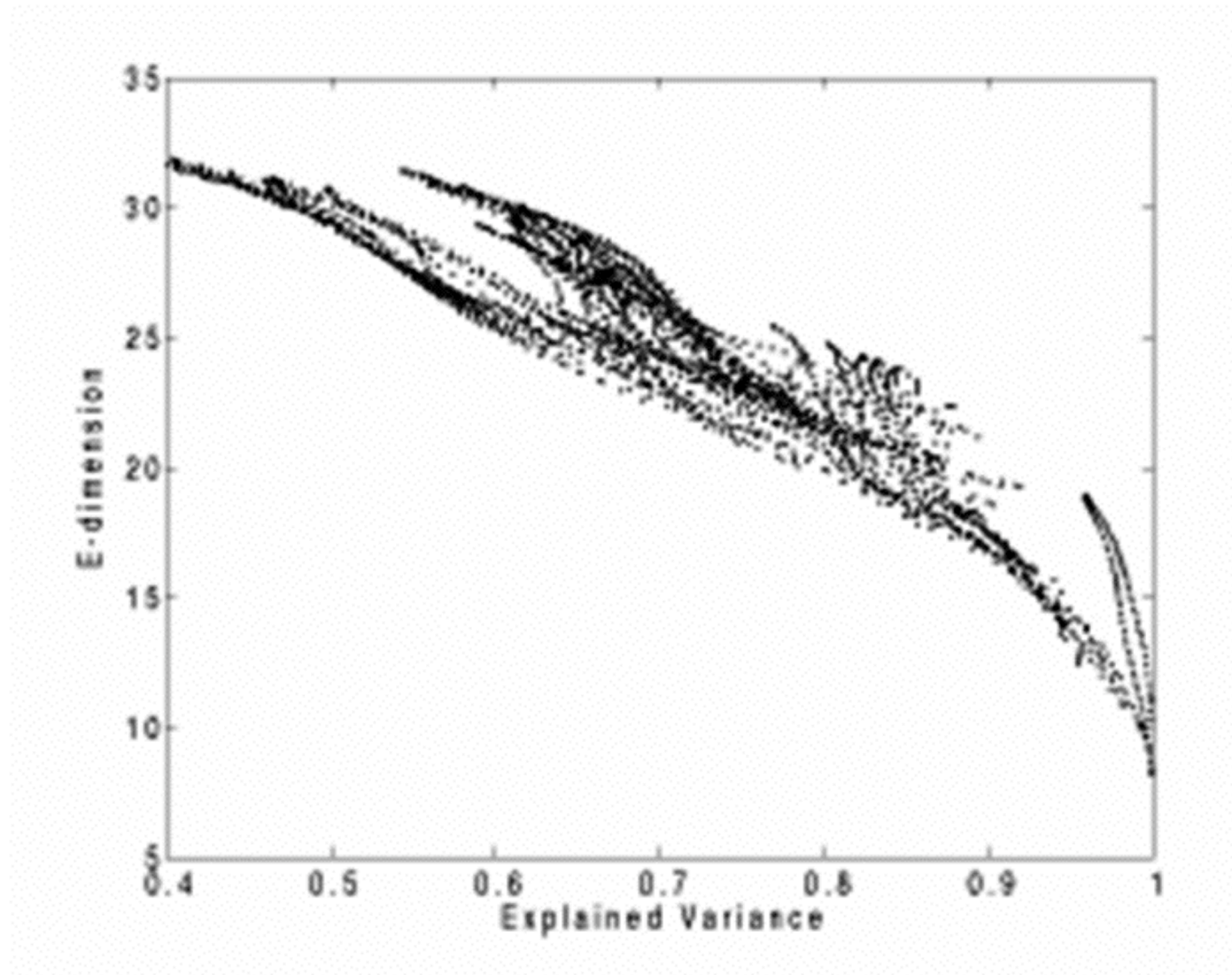
LEKF results with NCEP's global model

- T62, 28 levels (1.5 million d.o.f.)
- The method is model independent: adapted the same code used for the L40 model as for the NCEP global spectral model
- **Simulated** observations at every grid point (1.5 million obs)
- Very parallel! Each grid point analysis done independently
- Very fast! 8 minutes in a 25 PC cluster with 40 ensemble members

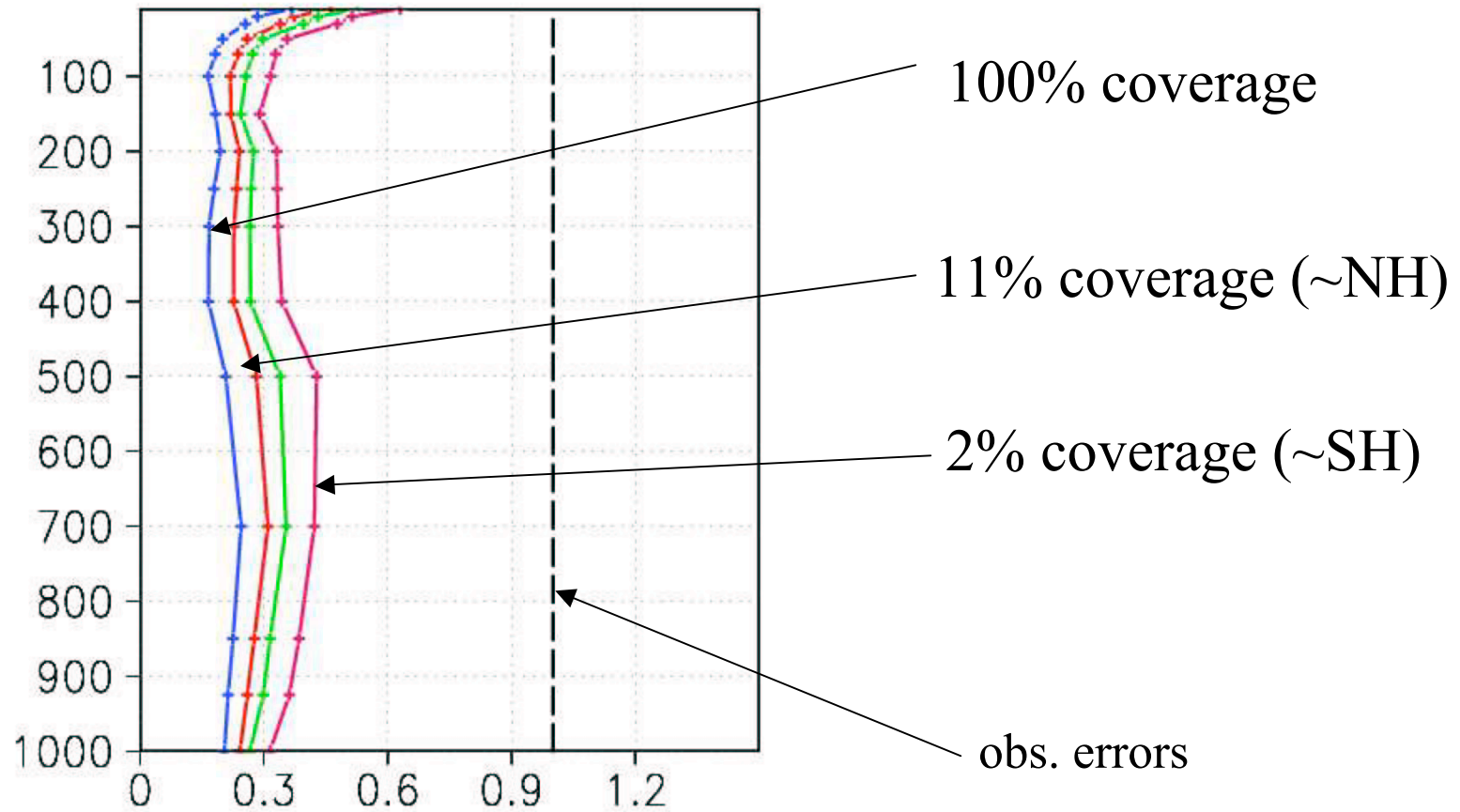
RMS ERROR IN TEMPERATURE ANALYSIS (500 hPa)



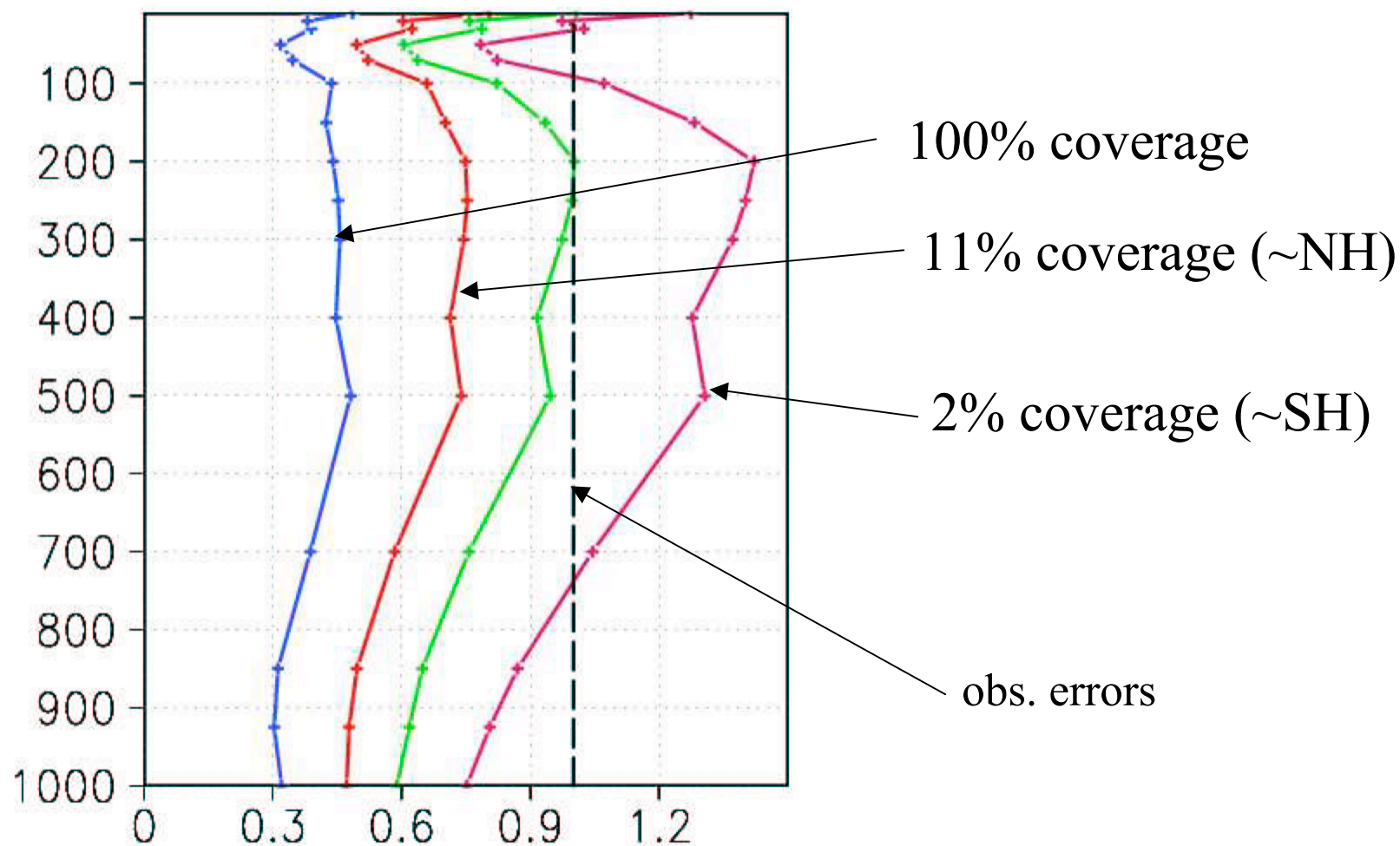
There is a strong relationship between the ensemble E-dimension and the Ob-Fcst explained variance



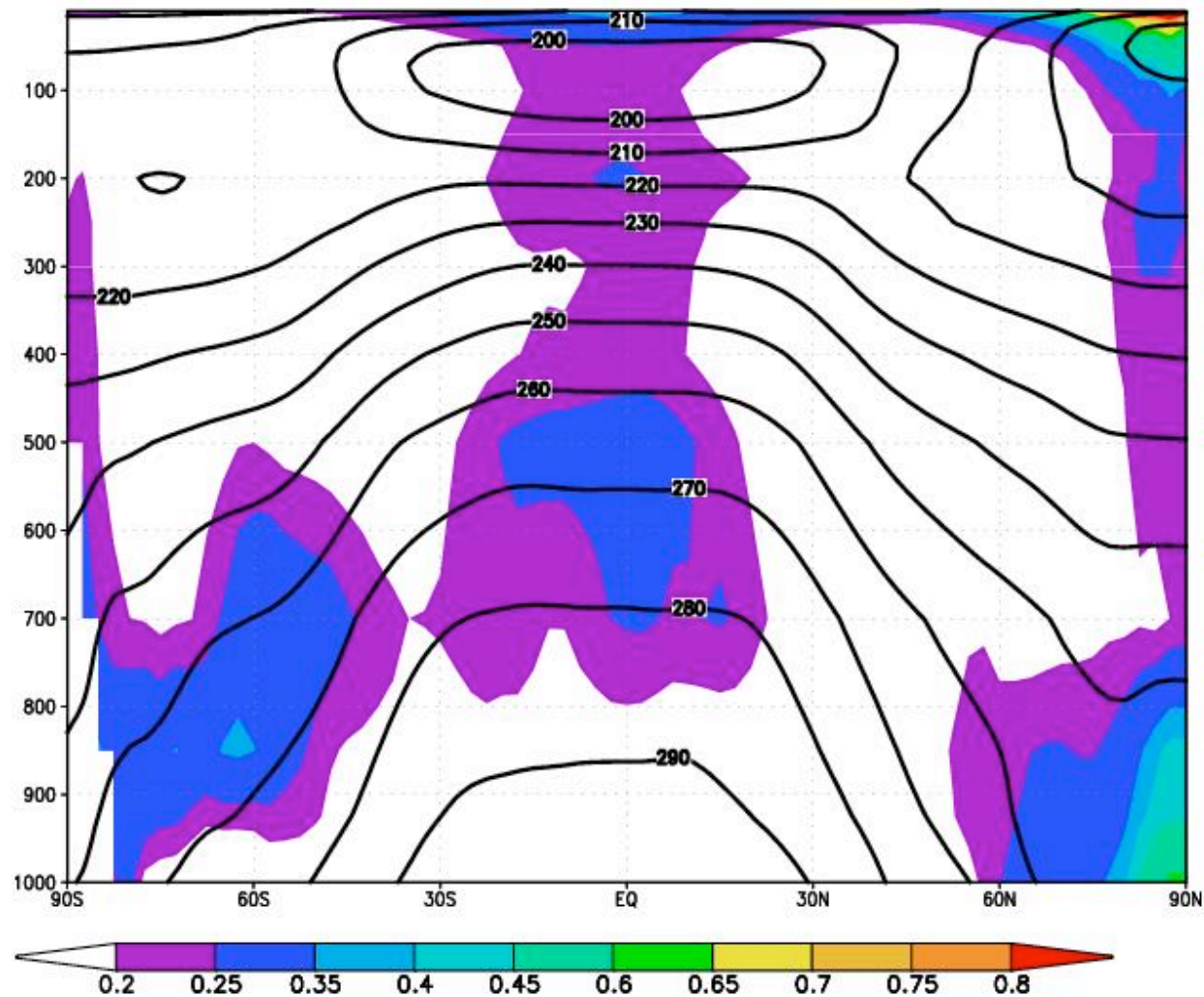
LEKF using 40 ensemble members: Analysis temperature errors



LEKF using 40 ensemble members: Analysis zonal wind errors (tropics)

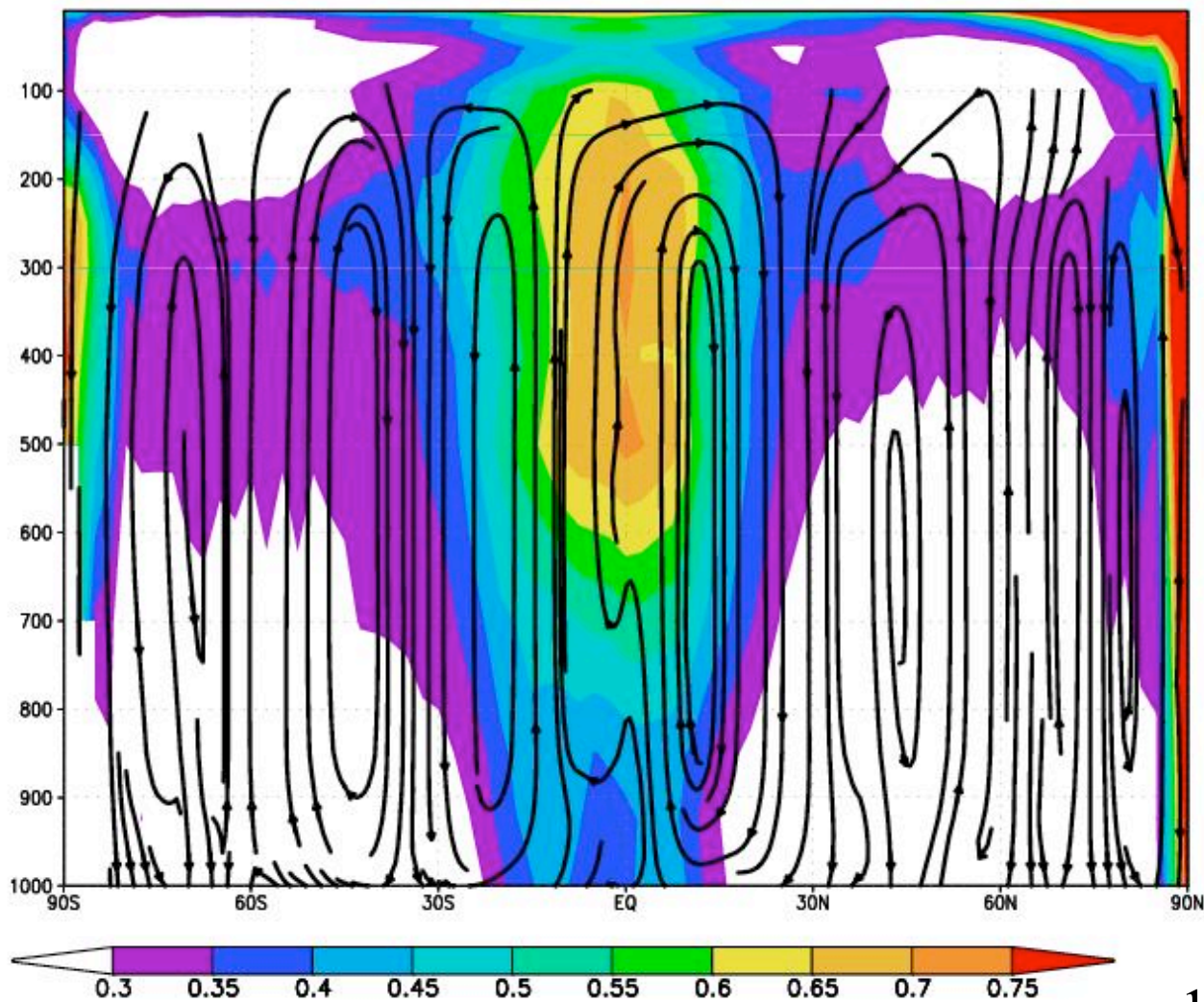


RMS temperature analysis errors

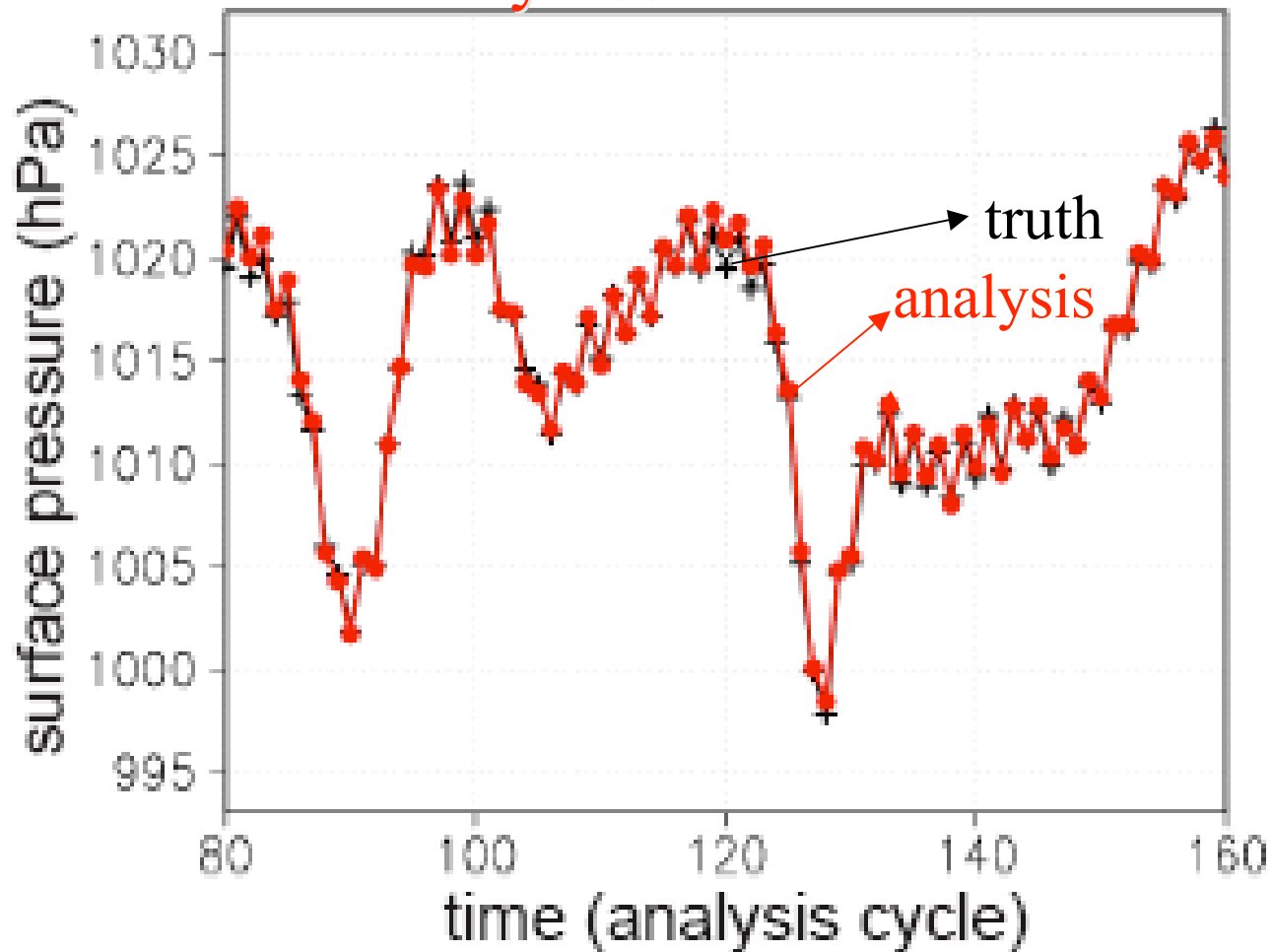


11% coverage

RMS zonal wind analysis errors



Superbalance: observed gravity wave is reproduced
with only 2% observations!!



We could also assimilate Kelvin waves detected by AIRS!!!

Advantages of LEKF

- It knows about the “errors of the day” through **B**.
- Provides **perfect initial perturbations for ensemble forecasting.**
- Free 6 hr forecasts in an ensemble system
- Matrix computations are done in a very low-dimensional space: both accurate and efficient.
- **Does not require adjoint of the NWP model (or the observation operator)**
- Keeps track of the effective ensemble dimension (E-dimension), allowing tuning.

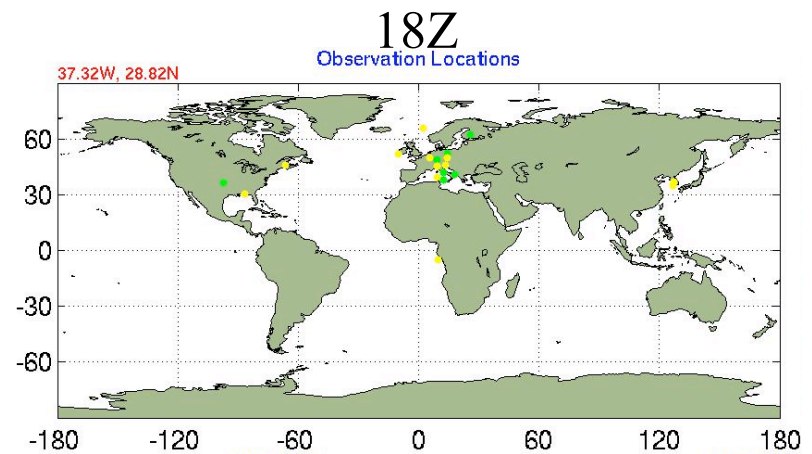
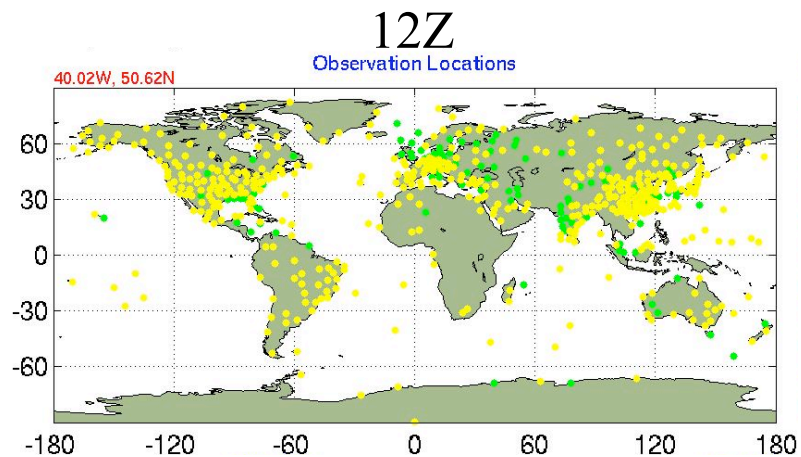
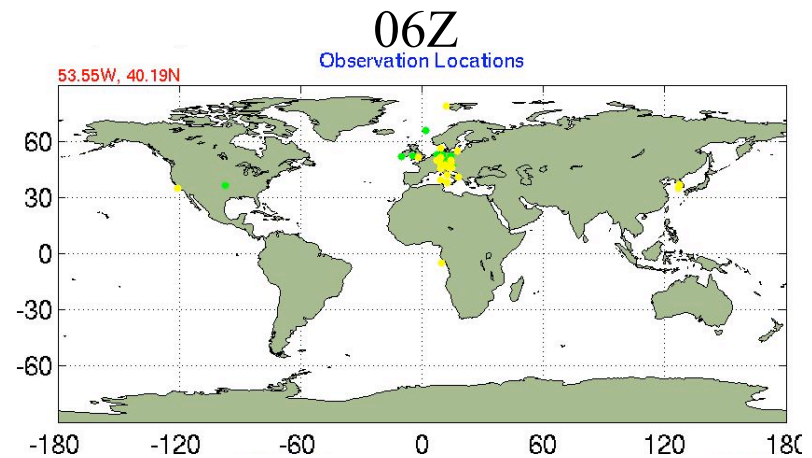
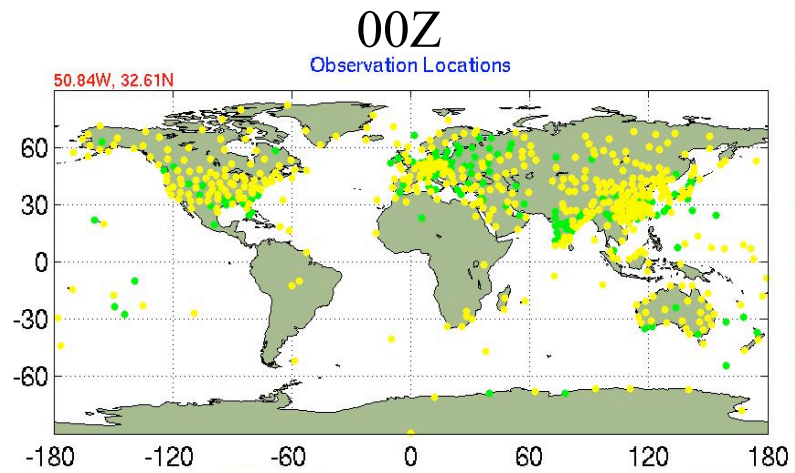
Extensions of LEKF

- Extended to 4DLEKF, to assimilate satellite observations at the right time (Hunt et al, 2004)
- Can be used for adaptive observations
- **Can use advanced nonlinear observation operator H without Jacobian or adjoint (Szunyogh et al, 2004)**

Work in Progress

- Ported fvGCM to our cluster of PC's
- Ported PSAS to our cluster
- Conducted a four month long nature run
- Created simulated observations
- Running PSAS DAS experiments to serve as a baseline
- Working on replacing PSAS with LEKF

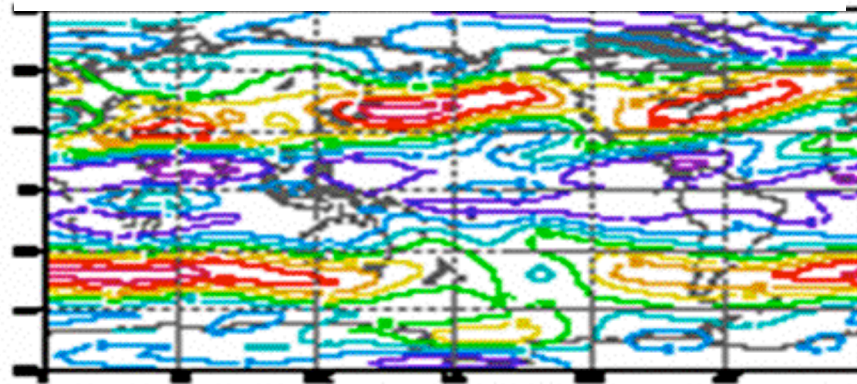
Simulated Observation Locations



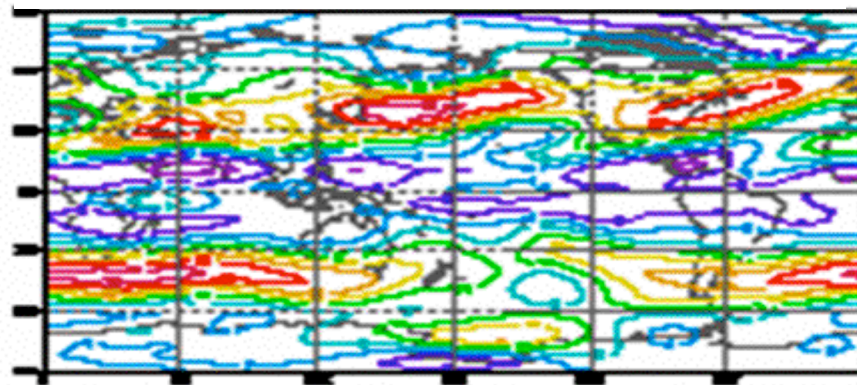
PSAS DAS Experiments

March average of UWND at 500mb

Nature Run



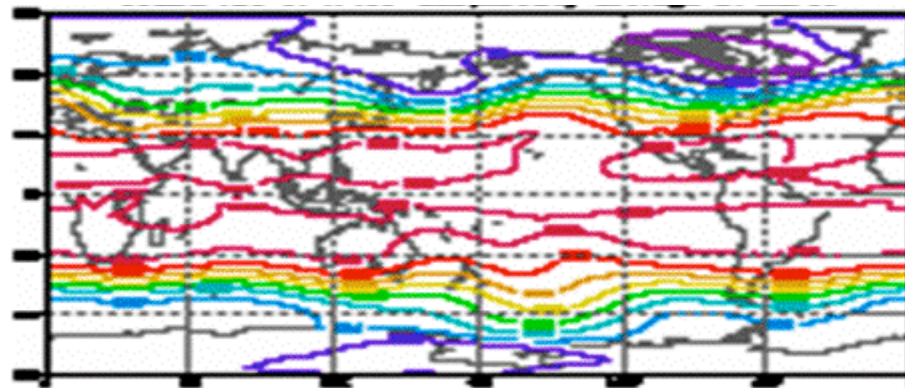
PSAS Run



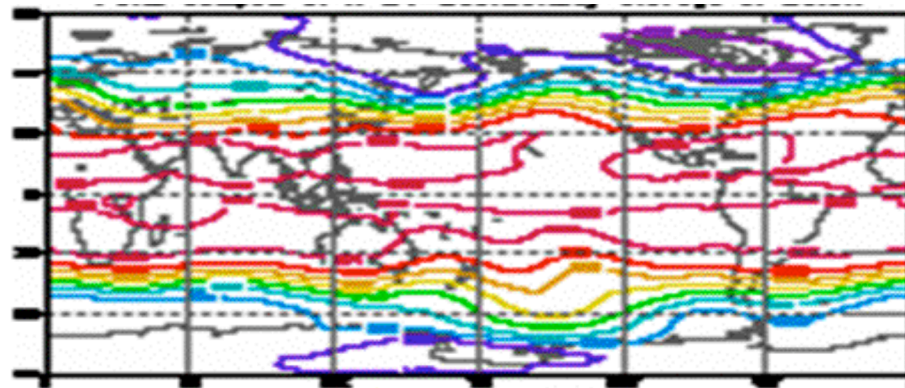
PSAS DAS Experiments

March average of H at 500mb

Nature Run



PSAS Run



Plans – 1st Year

(by May 2005)

- Complete coupling of the fvGCM system with LEKF
- LEKF DAS experiments with simulated observations
- Comparison with NCEP GFS, NASA PSAS
- Implement real observations on NCEP GFS

Plans – 2nd Year

(by May 2006)

- Assimilate conventional observations on fvGCM system with both LEKF and PSAS
- Compare LEKF with NCEP SSI (3D-Var)
- Implement 4DLEKF to assimilate satellite data at their time of observation
- Start assimilating AIRS data: test nonlinear vs. linearized forward operators

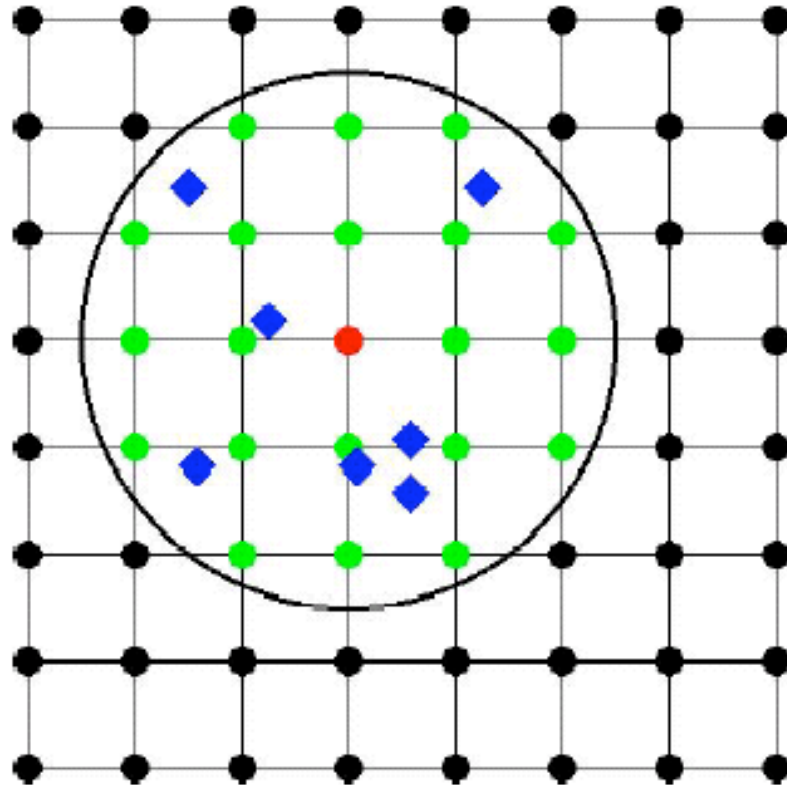
Plans – 3rd Year

(by May 2007)

- Complete 4D-LEKF assimilation of AIRS using best forward operators
- Perform data impact studies with and without AIRS data
- Compare assimilation of AIRS cloud free and cloud cleared radiance data
- Compare the assimilation of AIRS retrievals and of AIRS radiances
- Start assimilating cloud information

We will need guidance from the AIRS Science team

The LEKF algorithm:



Ott et al, 2003, Szunyogh et al 2004.
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